Parsing with unification

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Introduction to Computational Linguistics

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Outline

- Motivation
- 2 Unification
- Other issues
- References



Insufficiency of cfgs

- Atomic categories: No relation between the categories in a *cfg*: e.g. NP, N, N', VP, VP_3sg, Nsg
- Hard to express generalisations in the grammar: for every rule that operates on a number of different categories, the rule specification has to be repeated



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An example

- NP \rightarrow Det N
- NPsg → Detsg Nsg NPpl → Detpl Npl

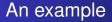
Can we throw away the first instance of the rule? No: *sheep* is underspecified, just like *the*, ...

We need to add the cross-product:

• NPsg \rightarrow Detsg N NPpl \rightarrow Detpl N NPsg \rightarrow Det Nsg NPpl \rightarrow Det Npl

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Motivation



- Alternatively, words like sheep and the could be associated with several lexical entries.
 - \rightarrow only reduces the number of rules somewhat
 - \rightarrow increases the lexical ambiguity considerably

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More problems

- The grammar cannot rule out yet: Those sheep runs
 → subject-verb agreement is not encoded yet
- Subcategorisation frames in their different stages of saturation are to be done as well.
- However: the expansion could be done automatically from feature structure descriptions: e.g.

$$\begin{bmatrix} category & noun \\ subcat & \langle \rangle \\ number & sing \\ person & 3 \end{bmatrix} \rightarrow NP_3sg$$

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More problems

- The formalism does not leave any room for generalisations like the following:
 - "All verbs have to agree in number and person with their subject."

 $S \rightarrow NP_(*) \ VP_(*) \ \backslash 1 = \backslash 2$

- "In a headed phrase, the head daughter has the same category as the mother."
 - $XP \to Y \; X$
- Feature structures can do that.
- When a feature structure stands for an infinite set of categories, the grammar cannot be compiled out into a *cfg*.

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Part II

Definitions



Bernd Kiefer Parsing with unification

Outline



- What is a feature structure?
- What is unification?

3 Parsing





Definitions

Parsing Efficiency techniques What is a feature structure? What is unification?

Outline



- What is a feature structure?
- What is unification?

3 Parsing

4 Efficiency techniques



What is a feature structure? What is unification?

Definition

A feature structure is a directed graph, consisting of nodes and labelled edges. One node is special: the *root node*, from which every node can be reached by following edges. A feature structure is a tuple $\langle Q, \overline{q}, \delta \rangle$:

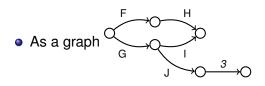
- Q is a finite set of nodes, rooted at \overline{q}
- $\overline{q} \in Q$ is the root node
- δ : Feat $\times Q \rightarrow Q$: a partial feature value function

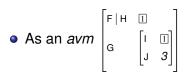


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What is a feature structure? What is unification?

Notation







Definitions Parsing

Efficiency techniques

What is a feature structure? What is unification?

Outline



• What is a feature structure?

What is unification?

3 Parsing

Efficiency techniques



What is a feature structure? What is unification?

Subsumption

- An order relation between elements of a set:
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- It is an information ordering: a subsumes b iff a contains less information than b, alternatively iff a is more general than b.
- Special cases
 - There may be elements a, b such that a ⊈ b and b ⊈ a (incomparable)
 - Each element subsumes itself
 a ⊆ b ∧ b ⊆ a ⇔ a = b
 - In an anti-chain, no two elements are comparable

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• Unification is the operation of merging information-bearing structures, without loss of information *if* the unificands are consistent (monotonicity).



What is a feature structure? What is unification?

Feature structure unification

- Here, \sqsubseteq is a relation in the set of feature structures
- Feature structure unification (□) is the operation of combining two feature structures so that the result is the most general feature structure that is subsumed by the two unificands (*the least upper bound*). If there is no such structure, then the unification *fails*.
- Two feature structures that can be unified are compatible (or consistent). Comparability entails compatibility, but not the other way round.
- There is untyped feature structure unification and typed feature structure unification.



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What is a feature structure? What is unification?

Untyped feature structure unification

- Token-identity: two feature structures are token-identical iff they are the same object.
- Consistent/compatible: two feature structures are consistent if they
 - have the same value,
 - the values of their common features are consistent.



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What is a feature structure? What is unification?

Untyped unification: examples

See also Shieber (1986)

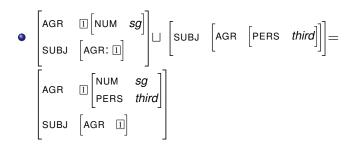
• $\begin{bmatrix} CATEGORY & noun \end{bmatrix} \sqcup \begin{bmatrix} NUMBER & singular \end{bmatrix} = \begin{bmatrix} CATEGORY & noun \\ NUMBER & singular \end{bmatrix}$ • $\begin{bmatrix} CAT & [] \sqcup \begin{bmatrix} CAT | CASE & accusative \end{bmatrix} = \begin{bmatrix} CAT | CASE & accusative \end{bmatrix}$ • $\begin{bmatrix} F & [] \\ H & [] \sqcup \begin{bmatrix} F & [] \\ H | G & [] \end{bmatrix} = \begin{bmatrix} F & [] \begin{bmatrix} G & [] \\ H & [] \end{bmatrix}$ • $\begin{bmatrix} CATEGORY & noun \end{bmatrix} \sqcup \begin{bmatrix} CATEGORY & verb \end{bmatrix} = fail$



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What is a feature structure? What is unification?

Untyped unification: examples





Destructive and non-destructive unification

In implementations, there are two ways to perform unification:

- Destructive unification: in the process of unifying two structures, one is modified and will contain the result
- Non-destructive unification: the unificands are not changed, and the result is a totally new structure.

The former is faster, but gives undesirable effects in some cases. For instance, when you apply a grammar rule, you do not want the rule to be different after the application. Non-destructive unification is easier to keep track of, but requires copying. Because it does not change the feature structures, the latter is used in implementations.



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What is a feature structure? What is unification?

Typed unification

- Type-identity: two object are type-identical iff they are of the same type.
- Consistent: two feature structures are consistent if
 - their type values are consistent
 - their features have consistent values.



What is a feature structure? What is unification?

Type hierarchies

- A type hierarchy is a partially ordered set $\langle \mathsf{Type}, \sqsubseteq \rangle$
- Often type hierarchies have to obey the *bounded complete partial order* requirement:

"For every set of elements with an upper bound, there is a least upper bound."

It ensures that every unification is unique

- Every feature structure node *q* has a typed value: θ(*q*)
- In a type hierarchy, the more specific types inherit all properties from their supertypes. It is not possible to remove a property.



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What is a feature structure? What is unification?

Typed feature structures

- A typed feature structure is a tuple $\langle Q, \overline{q}, \delta, \theta \rangle$:
 - Q is a finite set of nodes, rooted at q
 - $\overline{q} \in Q$ is the root node
 - δ : Feat $\times Q \rightarrow Q$: a partial feature value function
 - $\theta: Q \rightarrow$ Type: a total type assignment function
- Typed feature structures stand in a subsumption hierarchy, the shape of which is determined by the type hierarchy and feature reentrancies. Even though the type hierarchy is finite, the feature structure hierarchy is not necessarily finite.
- It may not be immediately clear a reentrancy contains more information than a structure without. After all: the latter structure has more nodes. A reentrancy adds the knowledge that two things do not only look the same, they are the same.

What is a feature structure? What is unification?

Typed feature structure unification

Let $F, F' \in \mathcal{F}$ and $F = \langle Q, \overline{q}, \theta, \delta \rangle, F' = \langle Q', \overline{q}', \theta', \delta' \rangle$. It is required that $Q \cap Q' = \emptyset$. A least equivalence relation \bowtie is defined on $Q \cup Q'$ such that

• $\overline{q} \bowtie \overline{q}'$

• $\delta(f, q) \bowtie \delta(f, q')$ if both are defined and $q \bowtie q'$ Then $F \sqcup F' = \langle (Q \cup Q')/_{\bowtie}, [\overline{q}]_{\bowtie}, \theta^{\bowtie}, \delta^{\bowtie} \rangle$ with

$$\begin{split} \theta^{\bowtie}([q]_{\bowtie}) &= \bigsqcup\{(\theta \cup \theta')(q') | q \bowtie q'\} \\ \delta^{\bowtie}(f, [q]_{\bowtie}) &= \begin{cases} [(\delta \cup \delta')(f, q)]_{\bowtie} & \text{if } (\delta \cup \delta')(f, q) \text{ is defined} \\ \text{undefined} & \text{otherwise} \end{cases} \\ \text{if all joins in } \theta^{\bowtie} \text{ exist. It is undefined otherwise.} \\ (\text{Carpenter, 1992}) \end{split}$$

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What is a feature structure? What is unification?

$\begin{bmatrix} \mathsf{F} & \mathsf{I} \\ \mathsf{G} & \mathsf{I} \end{bmatrix} \sqcup \begin{bmatrix} \mathsf{F} & a \\ \mathsf{G} & b \end{bmatrix} = \begin{bmatrix} \mathsf{F} & \mathsf{I} & a/b \\ \mathsf{G} & \mathsf{I} \end{bmatrix}$



What is a feature structure? What is unification?

Feature Appropriateness

- In an untyped framework, feature may be added anytime anywhere: there are no restrictions.
- In typed feature structures, the occurrence of features is limited by the type hierarchy:
 - Each feature is introduced on a unique, most general type
 - Only that type and its subtypes can carry that feature
 - Each feature is introduced with a value, and all valid values have to be subsumed by this value.
- These requirements ensure monotonicity in feature structure unification



Parsing with unification-based grammars

 In most implementations, the rules have a context-free backbone, but feature structures in the categories. Information can be shared between the categories in the rule.

•
$$\begin{bmatrix} CATEGORY & noun \\ SUBCAT & \langle \rangle \end{bmatrix} \rightarrow \square \begin{bmatrix} CATEGORY & det \end{bmatrix} \begin{bmatrix} CATEGORY & noun \\ SUBCAT & \langle \square \rangle \end{bmatrix}$$

• Sometimes the rules are written in a *cfg*-like format, sometimes feature structures whereby a feature identifies the daughters.

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- Is there any difference in parsing?
- No. All known techniques can be used, and you will obtain a working parser, provided that you use non-destructive unification.
- *But* it will be (much) slower: the categories are much bigger, and the unification is non-destructive. A lot of copying is done.



Techniques to improve efficiency

- Packing (subsumption packing)
- Rule filter: not all rules can feed into all other rules
- Quick check: some paths are more likely to fail than others
- Sharing and deleting of daughters: do not keep information that can easily be (re)computed or retrieved
- Delayed copying (Tomabechi): only copy when you are sure that it will be used



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Subsumption packing

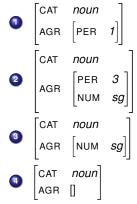
- With *cfgs* and chart parsing, every category is only stored once for a given pair of indices to avoid recomputation. The criterion is a simple identity/equality check.
- Suppose we have (among others) the following feature structure in the chart:



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Subsumption packing

 After a rule application, we want to add one of the following feature structures:



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Subsumption packing

• Which one the two should we take?

- all: too many solutions (spurious ambiguity)
- the first, most recent, ...: may give over/undergeneration

e.g. with (4) a solution with $\begin{bmatrix} CAT & noun \\ AGR & [PER & 1] \end{bmatrix}$ is also possible,

although that does not correspond with the original situation

 in general: when the newer category is more specific, using it may invalidate older analyses (which were based on a more general feature structure; see (2)), and vice versa



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Subsumption packing

- In *cfgs* with atomic catgories, we use an equality check
- With feature structures, we want to *be able* to use unification (it is the operation we use in rule applications), but unification should not be used to perform the check.
- A subsumption check will tell us what is the most general feature structure, and that one should be stored in the chart:
 - if new ⊑ old, then the set of solutions from new will be a superset of the set of solutions from old, so replace old by new.
 - if old ⊑ new, then new should be discarded (it is already implied by old)
 - otherwise, add new.

In this way, no solutions are invalidated.



Statistical processing Default unification

Part III

Other issues



Statistical processing with feature structures

- Applying statistical techniques to feature structures is very hard, mainly because of the presence of reentrancies (Abney, 1997, See e.g.).
- Very often the following technique is applied: simplify the feature structure, even to the type of the root node only. That way, the categories can be made sufficiently simple. Examples: Bouma et al. (2001); Toutanova et al. (2002)



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Default unification

- Credulous default unification: the default FS adds as much information as possible that is not conflicting with the strict FS. It is non-deterministic.
- Sceptical default unification: the default FS adds the information that is common between each variant of credulous default unification. (Carpenter, 1993)
- Sensitive to order of processing
- Persistent associative default unification (Lascarides et al., 1996)
- Mainly used for lexical specification

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Statistical processing Default unification

Credulous default unification

•
$$F \sqcup_{c}^{\leq} G = \{F \sqcup G' | G' \sqsubseteq$$

G is maximal such that $F \sqcup G'$ is defined $\}$
• $\begin{bmatrix} F & a \end{bmatrix} \sqcup_{c}^{\leq} \begin{bmatrix} F & \Box & b \\ G & \Box \\ H & c \end{bmatrix} = \{ \begin{bmatrix} F & a \\ G & b \\ H & c \end{bmatrix}, \begin{bmatrix} F & \Box & a \\ G & \Box \\ H & c \end{bmatrix} \}$



Statistical processing Default unification

Sceptical default unification

•
$$F \stackrel{<}{\sqcup_{s}} G = \sqcap (F \stackrel{<}{\sqcup_{c}} G)$$

• $[F \ a] \stackrel{<}{\sqcup_{s}} \begin{bmatrix} F \ b \\ G \ H \ c \end{bmatrix} = \sqcap \{ \begin{bmatrix} F \ a \\ G \ b \\ H \ c \end{bmatrix}, \begin{bmatrix} F \ b \\ G \ I \\ H \ c \end{bmatrix} \} = \begin{bmatrix} F \ a \\ G \ \bot \\ H \ c \end{bmatrix}$



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Desirable properties of default unification

- Always well-defined
- All strict information is preserved
- If F and G are consistent, it should give the same result as strict unification
- It is finite



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Part IV

References





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